Formal Models for Path-Vector Protocols

Aaron D. Jaggard (Tulane) Vijay Ramachandran (Stevens)

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Goals

Are there areas for collaboration?

- □ What have we been doing?
- □ What have others been doing?

Feedback on previous/current work

- In which ways this could be refined to be more useful?
- Questions for future work
 - Are there aspects of routing policies that would be good to look at next?

The Design Space of Path-Vector Protocols [GJR '03]

- Robustness: Predictable routing tree, even after link/node failure
 - Primary concern
- Expressiveness: What routing policies are permitted?
 - Use the Stable Paths Problem as semantic domain
- Autonomy: What degree of independence do operators have in local-policy configuration?
 - One example: next-hop policies, which can contradict shortest-paths routing
- Global Constraint: What assumptions about the network are needed?
- Protocol details:
 - Policy Opaqueness: Can local route settings be kept private?
 - Protocol Transparency: How directly does the protocol apply local policy to route data?

Formally Modeling Policy Semantics

- The Stable Paths Problem (SPP) models the underlying theoretical problem that eBGP is trying to solve [Griffin-Shepherd-Wilfong '02]
- SPP solvability is NP-complete; solvability convergence.

An SPP instance is a graph in which each node represents one AS and has a policy in the form of a linear preference ordering on paths.



Bad Gadget [GSW'02]

120

230

20

2

310

30

(

3

- Cycles regardless of timing; no stable solution
- Can fix by changing order at any node
 - □ Fix uses global knowledge
- Note: Each node prefers rim to spoke

SPP Results [GSW '02]



DISAGREE (multiple solutions)



BAD GADGET (no solution)



No dispute wheel implies robust convergence.

Path-Vector Policy Systems

Formal model of path-vector routing:

PL, K

Path-Vector System:

The underlying message-exchange system for route information. What is exchanged and how?

Global Constraint:

What assumptions about the network must be true to achieve robustness?

Policy Language:

How can policies be described? PL acts as a local constraint on the expressiveness of policies.

Question:

What role do these components play in achieving protocol design goals?

Path-Vector Algebras [Sobrinho '03]

- A path-vector algebra defines:

 Signatures (path data objects)
 Labels (combines import and export policies)
 Apply label to signature to obtain new signature (the path data after export/import)
 Weight function on signatures (rank)
 Operation to apply labels to signatures
 Rank criteria for tie-breaking
- These abstract away some protocol-level details

Robustness Condition [GJR '03, S '03]

Theorem: A protocol in which a path's (global) rank always increases as it is extended (by export/import) is dispute-wheel-free (and thus robust).

(Assume that we prefer the path with smallest rank, as with cost.)

Increasing systems generalize cost functions
 Cost now assigned to (path, edge) pairs

Trade-Offs in Implementation [GJR '03]

Theorem. A transparent, robust PVPS that supports next-hop policies and is at least as expressive as shortest paths must have a non-trivial global constraint.

Corollary. A globally unconstrained, robust PVPS that is expressive enough to capture all increasing configurations either does not support next-hop policies or is not transparent, or both.

Hierarchical BGP (HBGP)

- Partition neighbors into customers, providers, and peers
- Local constraints on policies
 - Scoping: Share route data from customers with everyone, share data from everyone with customers, do not share other data
 - Relative-preference: Prefer peer routes to provider routes, customer routes to both peer and provider
- No customer/provider cycles
- HBGP is robust [Gao-Rexford '01]

□ Are constraints violated often? Why?

Extending HBGP [JR' 04]

- Use the PVPS framework to generalize the HBGP constraints of [GR' 01, GGR' 01].
- A class-based PVPS is described by:
 - A set of classes (types of neighbor assignments, e.g., customer/provider/peer) and consistency relationships between them
 - Scoping rules
 - □ Relative-preference rules
- These systems are transparent and support next-hop policies enough to require a nontrivial global constraint.

Class-Based Robustness [JR '04]

From the class description alone, we can construct a global constraint involving a check on pairs of class assignments.

- Prevent cycles that could form dispute wheel rims by checking two cases
- □ Networks obeying this constraint are robust.
- Networks violating this constraint allow nodes to write policies that induce routing anomalies.

Dispute Rings [FJB '05]

- Dispute rings specialize dispute wheels
 No node appears more than once
- Safety under filtering generalizes robustness
 Allow arbitrary filtering, not just all paths through a certain node or edge
- Theorem: Dispute-ring-freeness is necessary for safety under filtering
 - Still open: Is there a necessary condition for robustness?

How to Model MEDs?

- Have a selection function choose one route (according to local policy) from a set of routes
 - No longer ranking paths linearly
- A singleton-valued selection function f satisfies Independent Route Ranking if, for T containing S,

 $f(T) = P_2$ implies $f(S) = P_2$ or P_2 is in T\S

- Learning new routes shouldn't cause the selection of a new, previously known route
- Potentially violated by use of MED attribute
- Second condition for set-valued selection functions
 - □ Source of future work; focus on singleton-valued here

Generalized SPP [GW '02]



MED-EVIL [GW'02] (no solution)

BGP selection:

- lowest MED value from paths to the same AS; then
- □ shortest IGP distance.
- IGP distances are shown near intra-domain links.
- MED values are shown in parentheses near inter-domain links.
- This example oscillates.

Violate IRR Using MEDs



 $\sigma_A(AC0, AD0) = AD0$ $\sigma_A(AD0, ABE0) = ABE0$ $\sigma_A(AC0, ABE0) = AC0$ $\sigma_A(AC0, AD0, ABE0) = AC0$

 $\sigma_B(BE0) = BE0$ $\sigma_B(BAD0, BE0) = BE0$ $\sigma_B(BAC0, BE0) = BAC0$

MED-EVIL [GW'02] (condensed)

Generalized Path Relations [JR'06]

Subpath $P_1 \ominus P_2$ iff $P_1 = v \cdots v_0, P_2 = u \cdots v_0$, and $uP_1 = P_2$

Linear Selection $P_1 \oslash P_2$ iff $P_1 = v \cdots v_0, P_2 = u \cdots v_0$, and $\exists S : \sigma_u (\{uP_1, P_2\} \cup S) = uP_1$

Nonlinear Selection 1 $P_1 \odot_1 P_2$ iff $P_1 = v \cdots v_0$, $P_2 = u \cdots v_0$, and there exists a set of routes $S \not\supseteq uP_1$ such that $\sigma_u (\{P_2\} \cup S) \neq P_2$ and $\sigma_u (\{uP_1, P_2\} \cup S) = P_2$

Nonlinear Selection 2 $P_1 \odot_2 P_2$ iff $P_1 = v \cdots v_0$, $P_2 = u \cdots v_0$, and there exists a set of routes $S \not\supseteq uP_1$ such that $\sigma_u(S) = P_2$ and $\sigma_u(\{uP_1\} \cup S) \not\in \{uP_1, P_2\}$

Generalized Dispute Wheels [JR'06]

- Extend original notion of dispute wheel to include new relations between paths
 - Gives sufficient condition for robustness in generalized SPP
- Not considered in initial generalization of SPP
 - GW'02 translated limited class of GSPPs to SPP, applied SPP convergence conditions
 - □ Here, generalized dispute wheels apply directly to GSPP

Summary of Previous Work

- PVPS framework for study of path-vector protocols
 - Conditions needed for robustness
 - Tradeoffs involved in implementing these conditions
- Concrete and reasonable guidelines for class-based systems
- Extended framework to allow nonlinear selection
 Start to model interactions between internal and external routing

Questions (I)

Feedback on our work

□ How to refine it to make it more useful?

- Can people work within class-based routing?
- Should we focus on next-hop (plus tweaks)?
- What are pressing (non-implementation) questions?
- Related areas for joint work?

In RRG?

Questions (II)

- What sort of policies should we look at?
 What sort of policies are typically written?
 Are there policies you'd like to write but can't?
 How do you want to be able to reconfigure policies?
 What anomalies do you see? (Often?)
 - □ What are typical iBGP policies?

adj@math.tulane.edu vijayr@cs.stevens.edu

www.math.tulane.edu/~adj/ www.cs.stevens.edu/~vijayr/