# Eliminating Duplicate Checks in ICE: <br> Alternate Proposal 

Philip Matthews
Eric Cooper

## Alternate Proposal

- Combines best ideas from both Jonathan's proposal and Philip/Eric's proposal.
- Has a unified state machine (rather than separate Rx and Tx state machines).
- Takes advantage of "associated transport address" information signaled in SDP.
- Eliminates all duplicate checks.
- Is significantly simpler than the two earlier proposals.


## Alternate Proposal

Each endpoint maintains two lists:

- List of Transport Address Pairs, each with two associated state variables:
- IN: pair works in inbound direction
- OUT: pair works in outbound direction
- List of checks to perform, each of the form:
- From native base transport address (where "base" = "not server-reflexive")
- To remote transport address
- One check for each possible combination


## Alternate Proposal

- When a Binding Request arrives, receiving endpoint knows that the transport address pair given in the username works inbound.
- Also, receiving endpoint knows that any associated transport address pair also works.
- For example, on $L$, receiving L1:1:R1:1 means that both L1:1:R1:1 and L1:1:R2:1 work inbound, if $\mathrm{R} 2: 1$ is a server-reflexive tid derived from R1:1.


## Alternate Proposal

- Similarly, when a Binding Response arrives, the endpoint knows that, not only does that specific transport address pair work outbound, but so does any associated transport address pairs
- For example, on R, receiving a response for L1:1:R1:1 means that both L1:1:R1:1 and
L1:1:R2:1 work outbound, if R2:1 is a serverreflexive tid derived from R1:1.


## Example

## STUN Server (no TURN)



Both NATs are BEHAVE compliant. For simplicity, we assume they have the endpoint-independent filtering property.
$L$ is the Offerer, $R$ is the Answerer. This means that $R$ starts its checks slightly before L .

## Example

## STUN Server (no TURN)



Candidates are:

$$
\begin{aligned}
& \mathrm{L} 1, \mathrm{q}=1 \\
& \mathrm{~L} 2, \mathrm{q}=.7
\end{aligned}
$$

R2

## NAT NR


$\mathrm{R} 1, \mathrm{q}=1$
$\mathrm{R} 1, \mathrm{q}=.7$

## Example

## STUN Server (no TURN)



In this example, the $\mathrm{m} / \mathrm{c}$ line is empty (= a-inactive). Thus the transport address check ordering is:

$$
\begin{array}{ll}
\text { L1:1:R1:1 } & \text { 1st } \\
\text { L1:1:R2:1 } & \text { 2nd } \\
\text { L2:1:R1:1 } & \text { 3rd } \\
\text { L2:1:R2:1 } & \text { 4th }
\end{array}
$$

## Example (Step 0)

Check List -- List of checks to perform (different for each end) "In" (resp. "Out") - Can receive (resp. transmit) on that pair.


## Example (Step 1)

Check List -- List of checks to perform (different for each end) "In" (resp. "Out") - Can receive (resp. transmit) on that pair.

| On L |  | On R |  |
| :---: | :---: | :---: | :---: |
| Check List | Pair In Out | Pair In Out | Check List |
| L1:1 $\rightarrow$ R1:1 | L1:1:R1:1 | L1:1:R1:1 | L1:1ヶR1:1 |
| $\mathrm{L} 1: 1 \rightarrow \mathrm{R} 2: 1$ | L1:1:R2:1 | L1:1:R2:1 | $\mathrm{L} 2: 1 \leftarrow \mathrm{R} 1: 1$ |
|  | L2:1:R1:1 | L2:1:R1:1 |  |
|  | L2:1:R2:1 | L2:1:R2:1 |  |
| $\underline{L 1: 1} \rightarrow \mathrm{R} 1: 1$ | (=R1:1:L1:1) | $\times \leftarrow 1: 1 \leftarrow \mathrm{R} 1: 1$ | 1:1:R1:1) |

Step 1: $R$ tries check $L 1: 1 \leftarrow R 1: 1$, and $L$ tries $L 1: 1 \rightarrow R 1: 1$; both fail.

## Example (Step 2)

Check List -- List of checks to perform (different for each end) "In" (resp. "Out") - Can receive (resp. transmit) on that pair.

| On L |  |
| :---: | :--- |
| Check List | Pair In Out |
| L1:1 $\rightarrow \mathrm{R} 1: 1$ | $\mathrm{~L} 1: 1: \mathrm{R} 1: 1$ |
| $\mathrm{~L} 1: 1 \rightarrow \mathrm{R} 2: 1$ | $\mathrm{~L} 1: 1: \mathrm{R} 2: 1$ |
|  | $\mathrm{~L} 2: 1: \mathrm{R} 1: 1 \mathrm{~V}$ |
|  | $\mathrm{~L} 2: 1: \mathrm{R} 2: 1 \mathrm{~V}$ |

$L 1: 1 \rightarrow R 1: 1(=R 1: 1: L 1: 1) X$ On R
Pair In Out Check List
L1:1:R1:1 L1:1 $\leftarrow \mathrm{R} 1: 1$
L1:1:R2:1 L2:1 $\leftarrow$ R1:1
L2:1:R1:1
L2:1:R2:1
$x \leftharpoonup \mathrm{~L} 1: 1 \leftarrow \mathrm{R} 1: 1$ (=L1:1:R1:1)
$\mathrm{L} 2: 1 \leftarrow \mathrm{R} 1: 1$ (=L2:1:R1:1)

Step 2: R tries L2:1 $\leftarrow R 1: 1$, which reaches $L$. Thus $L$ knows L2:1:R1:1 works inbound. In addition, L2:1:R2:1 also works inbound, since R2:1 is server-reflexive version of R1:1.

## Example (Step 3)

Check List -- List of checks to perform (different for each end) "In" (resp. "Out") - Can receive (resp. transmit) on that pair.

| On L |  |  | On R |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Check List | Pair | In Out | Pair | In Out | Check List |
| L1:1 $\rightarrow$ R1:1 | L1:1 |  | L1:1:R1:1 |  | L1:1 $\leftarrow$ R1:1 |
| $\mathrm{L} 1: 1 \rightarrow \mathrm{R} 2: 1$ | L1:1 |  | L1:1:R2:1 |  | $\mathrm{L} 2: 1 \leftarrow \mathrm{R} 1: 1$ |
|  | L2:1 |  | L2:1:R1:1 | 1 |  |
|  | L2:1 |  | L2:1:R2:1 | $\checkmark$ |  |
| $\underline{L 1: 1 \rightarrow R 1: 1(=R 1: 1: L 1: 1)} \times$ |  |  | $\mathrm{L} 1: 1 \leftarrow \mathrm{R} 1: 1$ (=L1:1:R1:1) |  |  |
|  |  |  | $\mathrm{L} 2: 1 \leftarrow \mathrm{R} 1: 1$ (=L2:1:R1:1) |  |  |

Step 3: $L$ sends the response back to $R$. Now $R$ knows that L2:1:R1:1 and L2:1:R2:1 work outbound.

## Example (Step 4)

Check List -- List of checks to perform (different for each end) "In" (resp. "Out") - Can receive (resp. transmit) on that pair.

## On L

Check List Pair In Out
L1:1 $\rightarrow$ R1:1 L1:1:R1:1
L1:1 $\rightarrow$ R2:1 L1:1:R2:1 L2:1:R1:1 $\sqrt{ }$ L2:1:R2:1 $\sqrt{ }$ On R

| On L |  |  | On R |  |
| :---: | :---: | :---: | :---: | :---: |
| Check List | Pair | In Out | Pair In Out | Check List |
| L1:1 $\rightarrow$ R1:1 | L1:1: |  | L1:1:R1:1 | L1:1 $\leftarrow$ R1:1 |
| $\mathrm{L} 1: 1 \rightarrow \mathrm{R} 2: 1$ | L1:1: |  | L1:1:R2:1 ل | $\mathrm{L} 2: 1 \leftarrow \mathrm{R} 1: 1$ |
|  | L2:1: |  | L2:1:R1:1 V |  |
|  | L2:1: |  |  |  |
| $\underline{L 1: 1 \rightarrow R 1: 1 ~(=R 1: 1: L 1: 1) ~} \times$ |  |  | $\times \leftarrow$ L1:1ヶR1:1 (=L1:1:R1:1) |  |
|  |  |  | $\mathrm{L} 2: 1 \leftarrow \mathrm{R} 1: 1$ (=L2:1:R1:1) |  |
| L1:1 $\rightarrow$ R2:1 (=R2:1:L1:1) |  |  |  |  |

Step 4: $L$ tries $L 1: 1 \rightarrow R 2: 1$, which reach $R$. Thus $R$ knows that both L1:1:R2:1 and L2:1:R2:1 work inbound.

## Example (Step 5)

Check List -- List of checks to perform (different for each end) "In" (resp. "Out") - Can receive (resp. transmit) on that pair.

## On L

Check List Pair In Out
L1:1 $\rightarrow$ R1:1 L1:1:R1:1
L1:1 $\rightarrow$ R2:1 L1:1:R2:1 ل L2:1:R1:1 $\sqrt{ }$ L2:1:R2:1 $\sqrt{ } \sqrt{ }$

L1:1 $\rightarrow$ R1:1 (=R1:1:L1:1) On R

| On L |  | On R |  |
| :---: | :---: | :---: | :---: |
| Check List | Pair In Out | Pair In Out | Check List |
| L1:1 $\rightarrow$ R1:1 | L1:1:R1:1 | L1:1:R1:1 | L1:1 $\leftarrow$ R1:1 |
| $\mathrm{L} 1: 1 \rightarrow \mathrm{R} 2: 1$ | L1:1:R2:1 ل | L1:1:R2:1 V | $\mathrm{L} 2: 1 \leftarrow \mathrm{R} 1: 1$ |
|  | L2:1:R1:1 ل | L2:1:R1:1 $\sqrt{ }$ |  |
|  | L2:1:R2:1 $\sqrt{ }$, | L2:1:R2:1 V $\sqrt{ }$ |  |
| $\underline{L 1: 1 \rightarrow R 1: 1 ~(=R 1: 1: L 1: 1) ~} \times$ |  | L1:1ヶR1:1 (=L1:1:R1:1) |  |
|  |  | $\mathrm{L} 2: 1 \leftarrow \mathrm{R} 1: 1$ (=L2:1:R1:1) |  |
| L1:1 $\rightarrow$ R2:1 (=R2:1:L1:1) |  |  |  |

Step 5: R replies, and thus L knows that both L1:1:R2:1 and L2:1:R2:1 work outbound.

## Example (Step 6)

Check List -- List of checks to perform (different for each end) "In" (resp. "Out") - Can receive (resp. transmit) on that pair.

## On L

Check List Pair In Out
L1:1 $\rightarrow$ R1:1 L1:1:R1:1
L1:1 $\rightarrow$ R2:1 L1:1:R2:1 $\sqrt{ }$ L2:1:R1:1 $\sqrt{ }$ L2:1:R2:1 ل $\sqrt{ }$
$\underline{L 1: 1 \rightarrow R 1: 1(=R 1: 1: L 1: 1)}>$ On R

| On L |  | On R |  |
| :---: | :---: | :---: | :---: |
| Check List | Pair In Out | Pair In Out | Check List |
| L1:1 $\rightarrow$ R1:1 | L1:1:R1:1 | L1:1:R1:1 | L1:1↔R1:1 |
| $\mathrm{L} 1: 1 \rightarrow \mathrm{R} 2: 1$ | L1:1:R2:1 ل | L1:1:R2:1 ل | $\mathrm{L} 2: 1 \leftarrow \mathrm{R} 1: 1$ |
|  | L2:1:R1:1 $\sqrt{ }$ | L2:1:R1:1 V |  |
|  | L2:1:R2:1 $\sqrt{ } \sqrt{ }$ | L2:1:R2:1 ل $\sqrt{ }$ |  |



Step 6: At this point, both $L$ and $R$ know that pair L2:1:R2:1 works in both directions, and can be promoted.

